

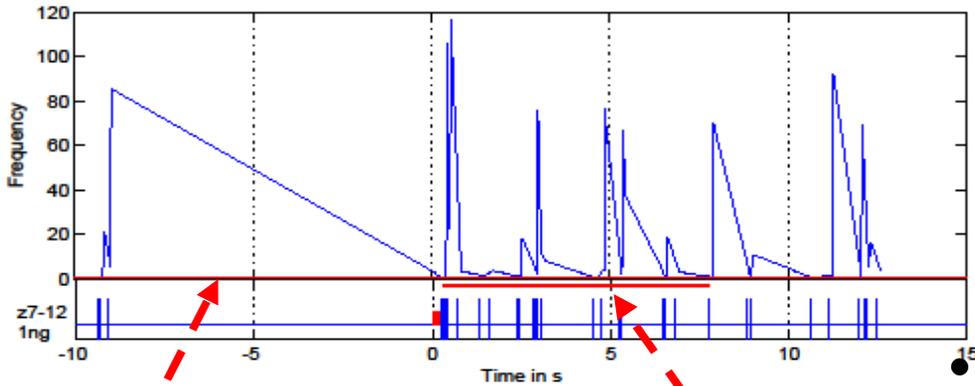
# Characterization of the response of ORNs population to sexual pheromone

Alexandre Grémiaux

Pherosys summer days, 22-23 rd  
June 2009

Co-directed by: J.P. Rospars, INRA Versailles  
Dominique Martinez, INRIA Nancy

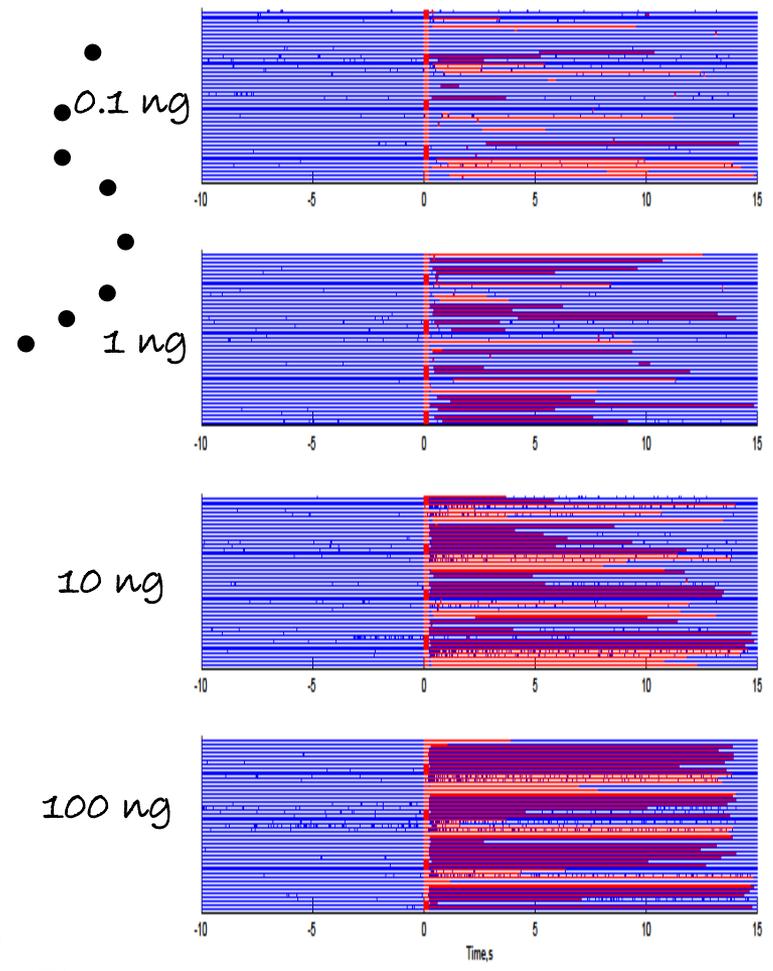
# Algorithm of responses detection



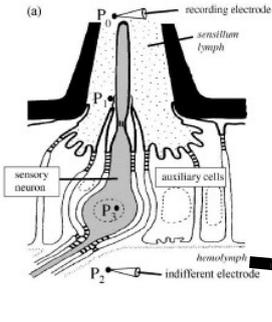
Threshold frequency =  
median of spontaneous  
instantaneous frequencies

Detected response

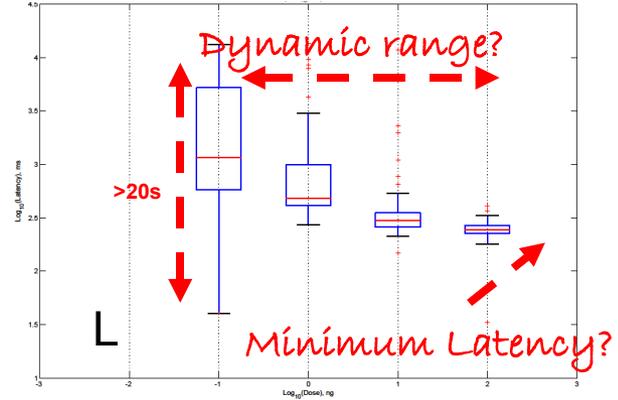
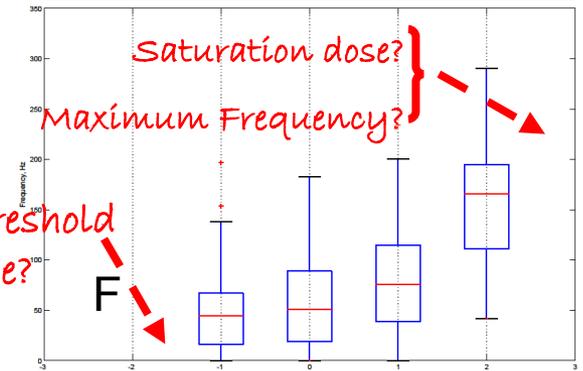
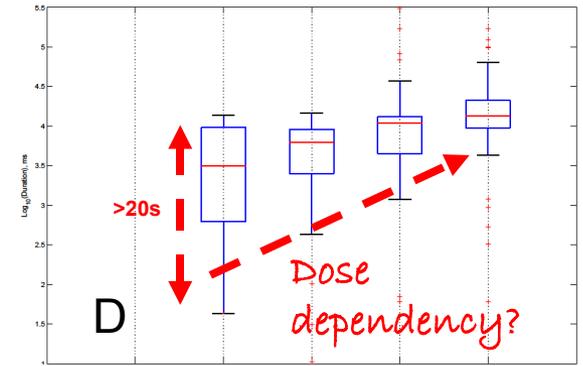
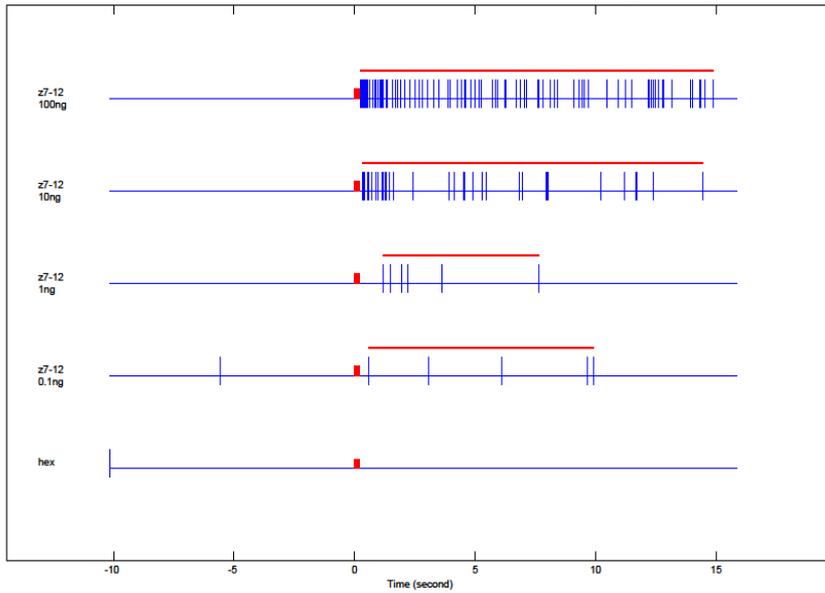
- 45 neurons, 4 doses of Z7-12 + hexane
- 186 detected responses / 223 spike trains



# Dose-response curves characteristics

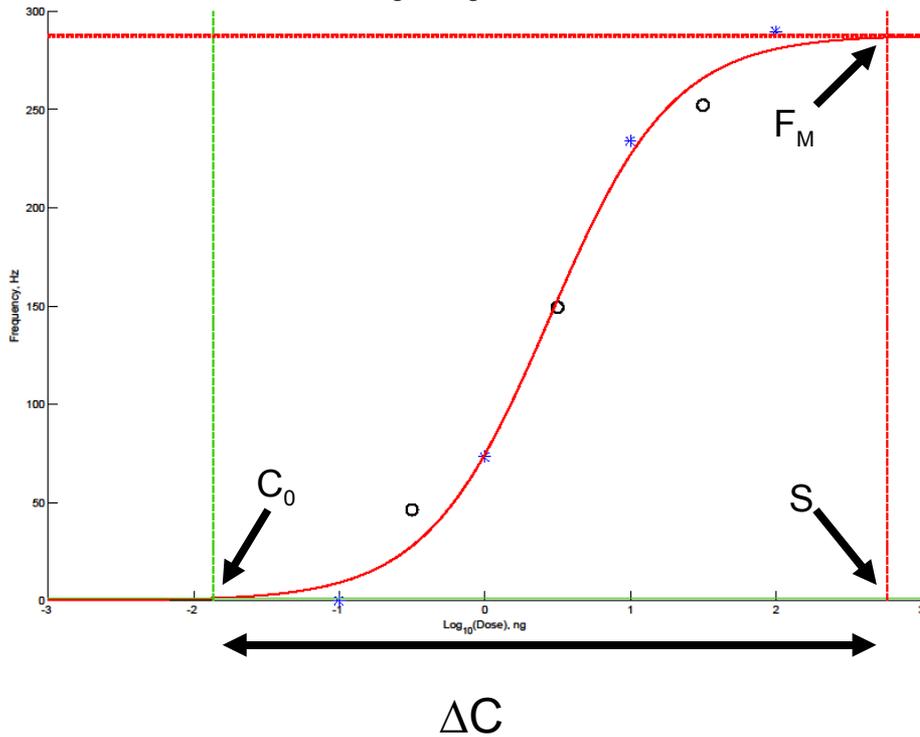


- Quantify single neuron dose-response curve.
- Quantify population dose-response curve.
- Consequences of variability, in term of reliability and population behaviour.



Threshold dose?

# Frequency

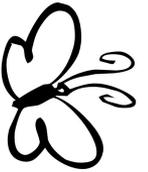


• Normal distribution

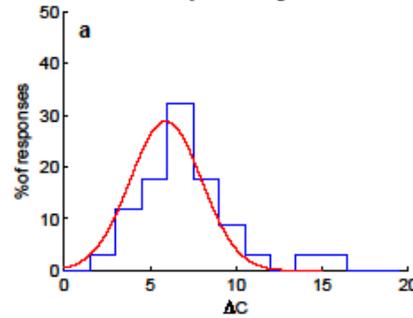
• Mean  $C_0 = 0.015$  ng

• Mean  $\Delta C = 5.8$  decades

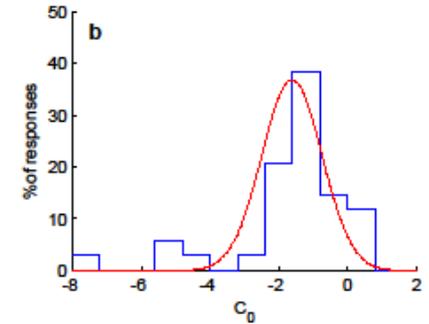
• Mean  $F_M = 230$  Hz



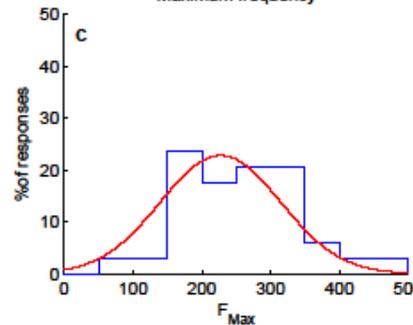
Dynamic range



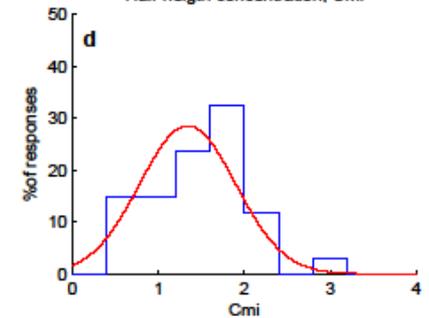
Threshold concentration



Maximum frequency



Half-height concentration, Cmi



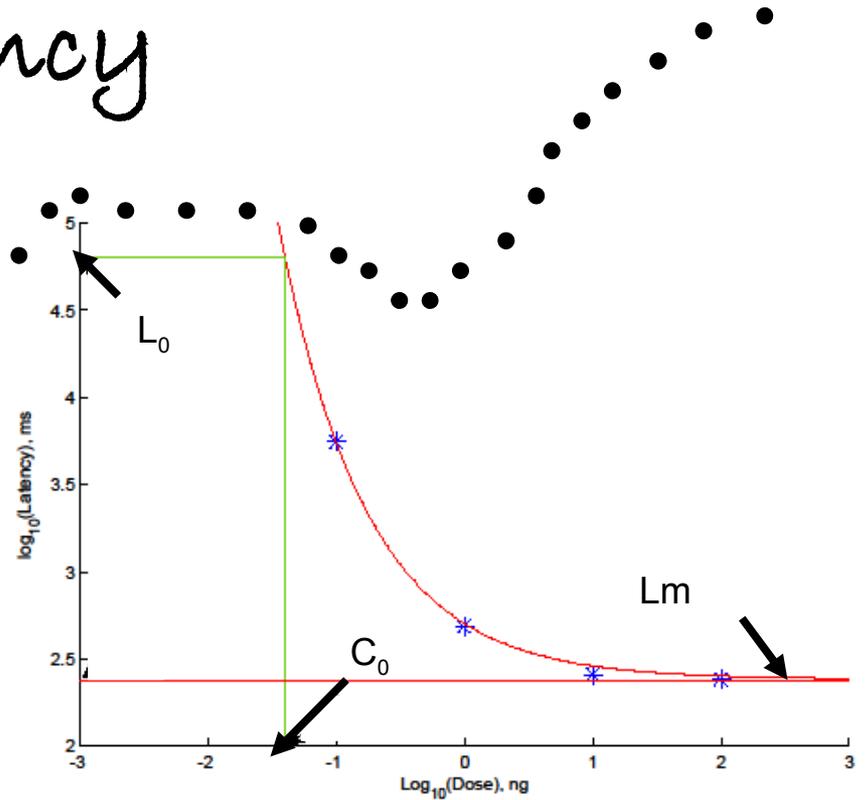
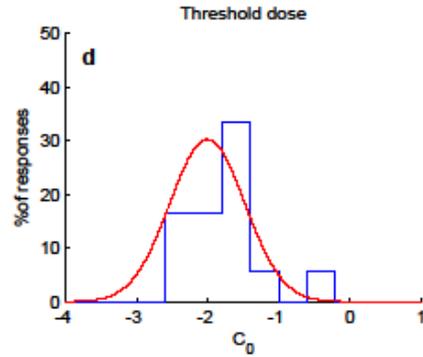
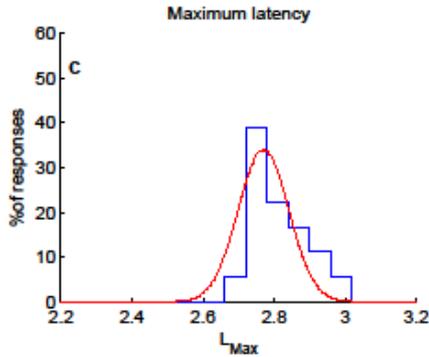
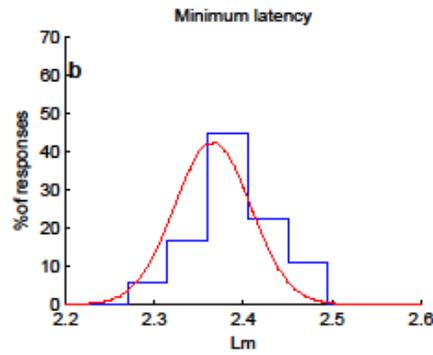
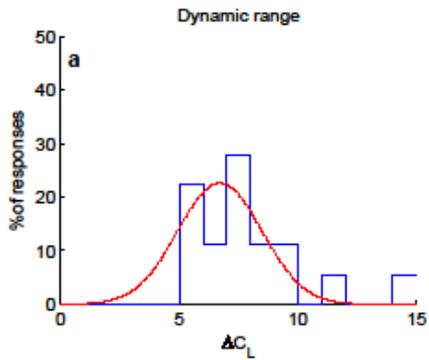
$$F(C) = \frac{F_M}{1 + e^{(-\ln(10) \cdot n \cdot (C - C_{mi}))}}$$

# Latency

• Normal distribution

• Mean  $L_m = 200$  ms

• Mean  $L_c = 330$  ms

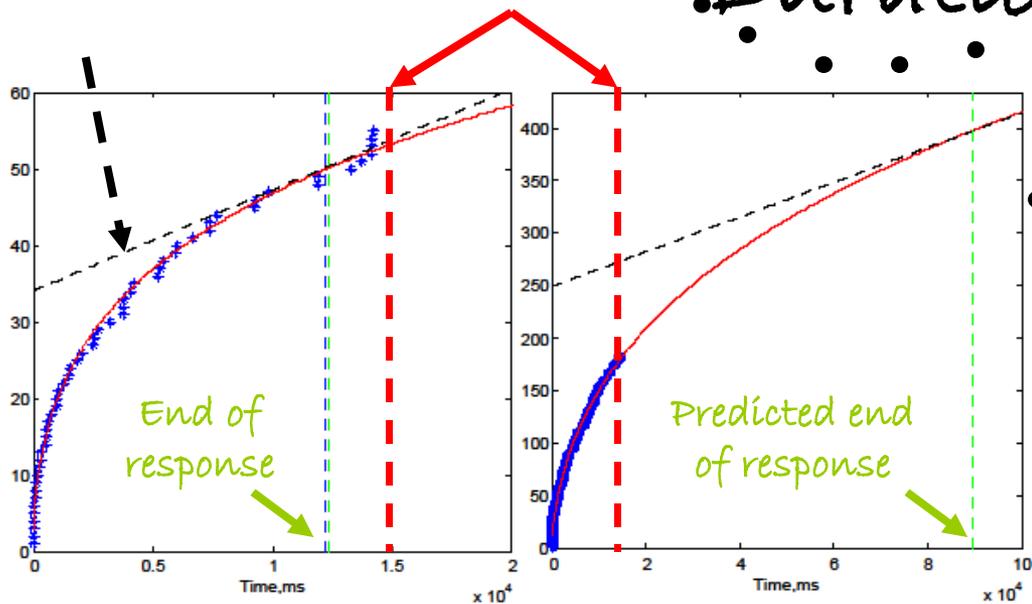


$$L(C) = L_0 \cdot e^{-\lambda (C - C_0)} + L_m$$

$$L_{Max} = L_0 + L_m$$

Slope of spontaneous activity

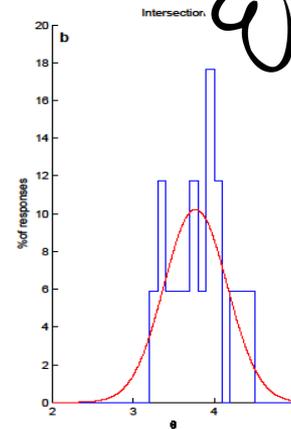
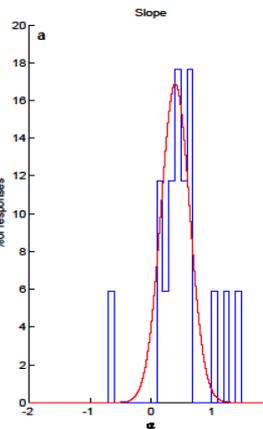
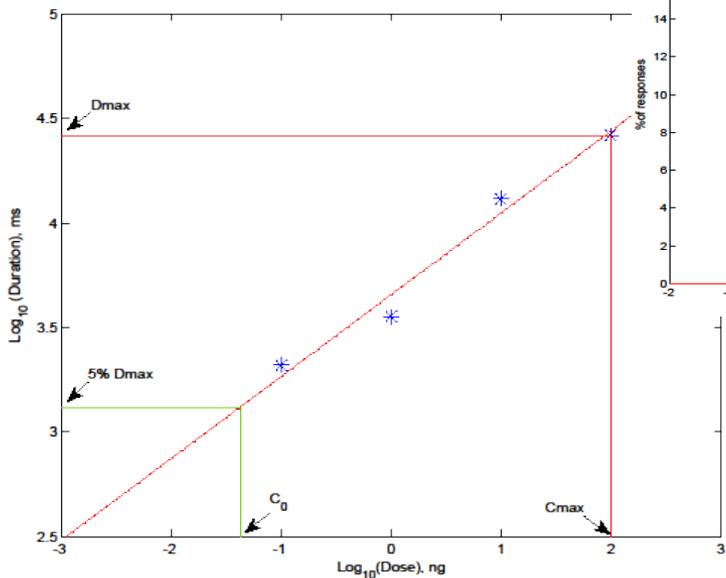
Duration



$$N(t) = \begin{cases} N_{10} \cdot [\log_{10}(t - t_0)]^\beta & \text{for } t \in ]t_0, +\infty [ \\ \frac{F_S}{1000} \cdot t & \text{for } t < t_0 \end{cases}$$

$$\log_{10}(D(C)) = \alpha C + \theta$$

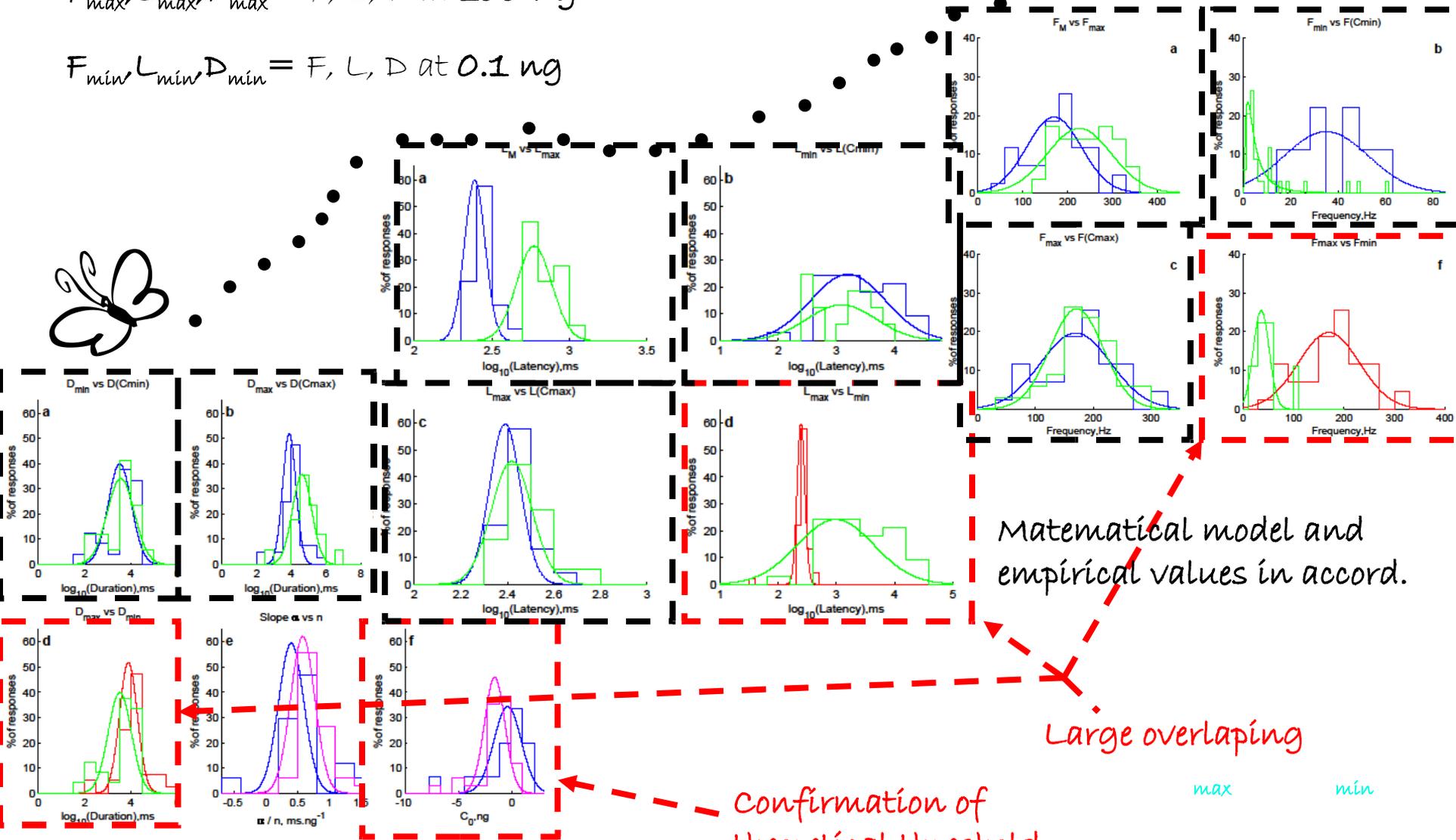
- Normal distribution
- Mean Slope = 0.3 ms/ng
- Mean D(1ng) = 6s



# Fitted parameters vs empirical values

$$F_{max} L_{max} D_{max} = F, L, D \text{ at } 100 \text{ ng}$$

$$F_{min} L_{min} D_{min} = F, L, D \text{ at } 0.1 \text{ ng}$$



Mathematical model and empirical values in accord.

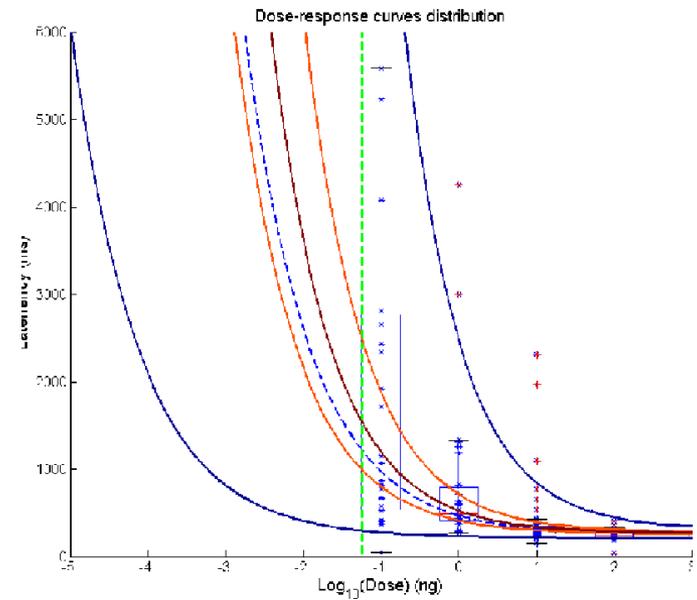
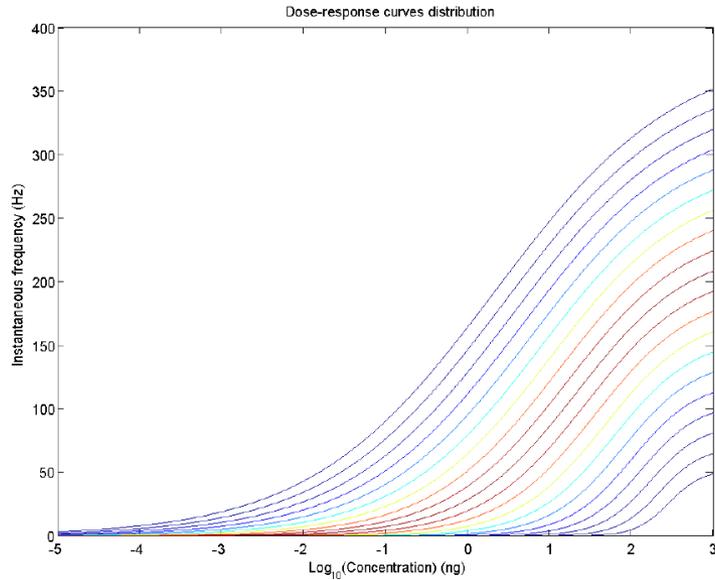
Large overlapping

Confirmation of theoretical threshold between 1 and 1

max min

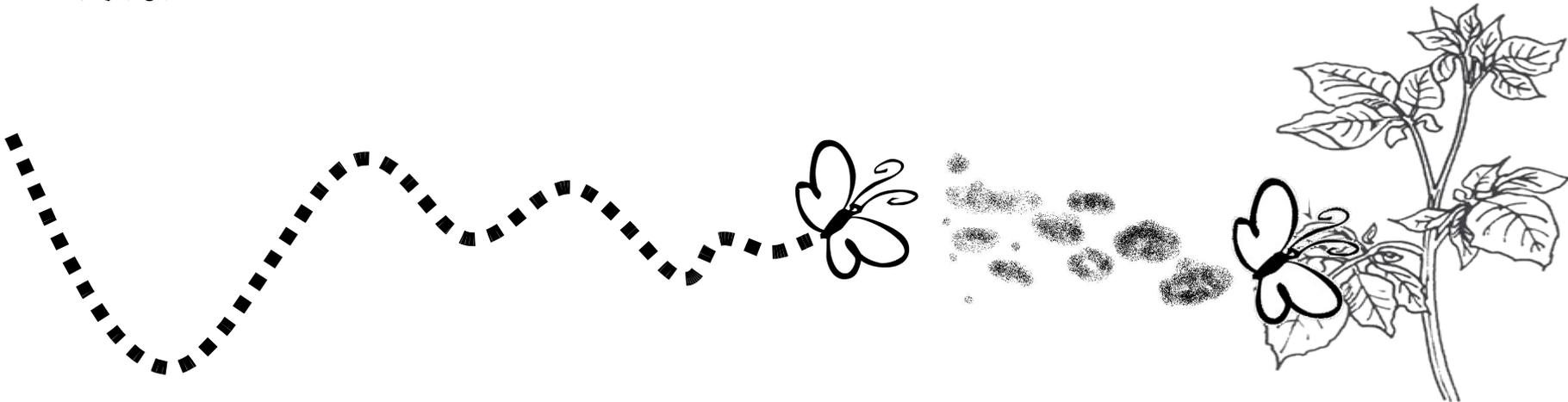
between 1 and 1

# Mathematical model of ORN nerve

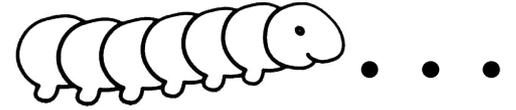


# CONCLUSIONS

- All ORN respond more or less efficiently in a same range of stimuli.
- Single ORN do not gives reliable information on the dose, especially when looking to duration.
- A minimum population of ORNs gives a reliable image of the intensity of a stimulus.
- The variability: -> blend response delay in a population for  $\neq$  doses.  
-> blend response duration in a population for  $\neq$  doses.



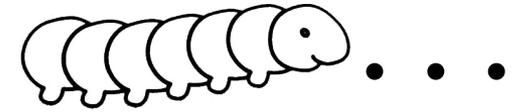
# Perspectives



1. Finish to build a mathematical model of ORN population

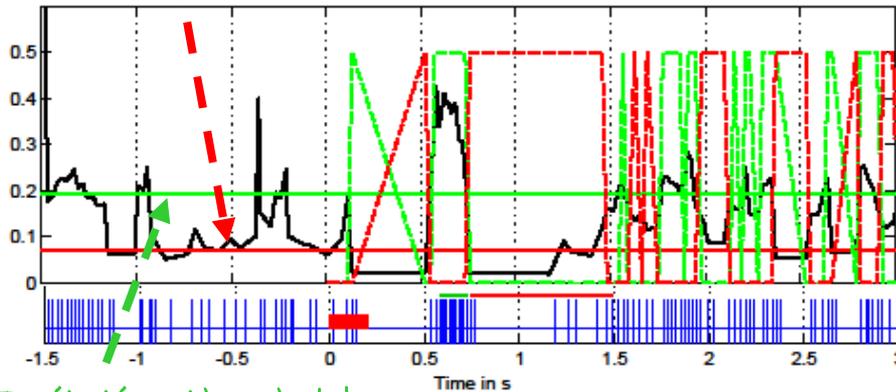
- The bases of mathematical model are put down.
- We must take into consideration parameters interdependency.
- The link between maximum frequency and mean frequency has to be determined
- Finally a typical population response simulation will soon be possible.

# Perspectives



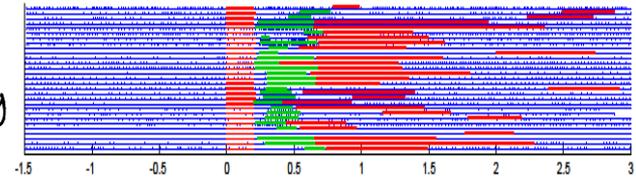
## 2. First results for PNs analyze

Inhibition threshold = first quartile of instantaneous frequencies after the stimulus

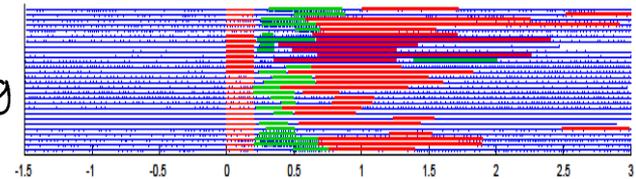


Excitation threshold = median of spontaneous instantaneous frequencies

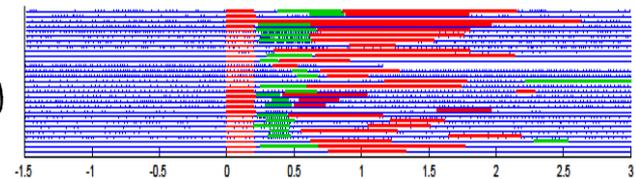
0.01 ng



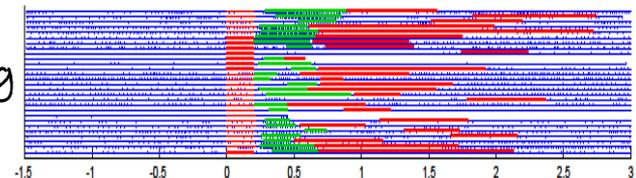
0.1 ng



1 ng

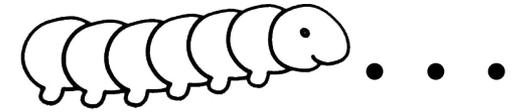


10 ng



In a first look, the PN population do not differentiates doses.

# Perspectives



## 2. First results for PNs analyze

Duration of excitation and inhibition are not significantly ( $p > 0.3$ ) dependent of dose

A function to fit dose-response curve will be find for latency and frequency.

$$L = L_a \cdot e^{-\lambda(C-C_0)} + L_m$$

$$F(C) = F_m \left( \frac{2}{1 + e^{-\log(n(C-C_0))}} - 1 \right)$$

